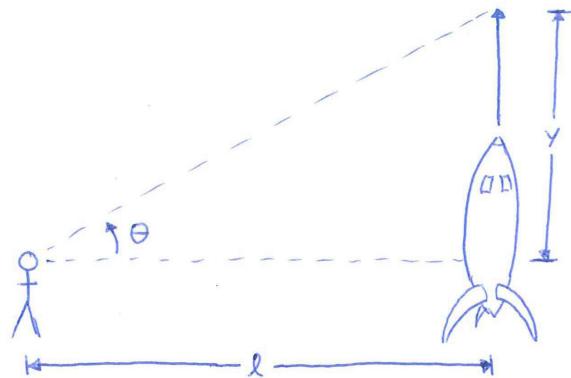


You are standing 100m away from a rocket ship that is taking off. If the height of the rocket ship follows the equation:

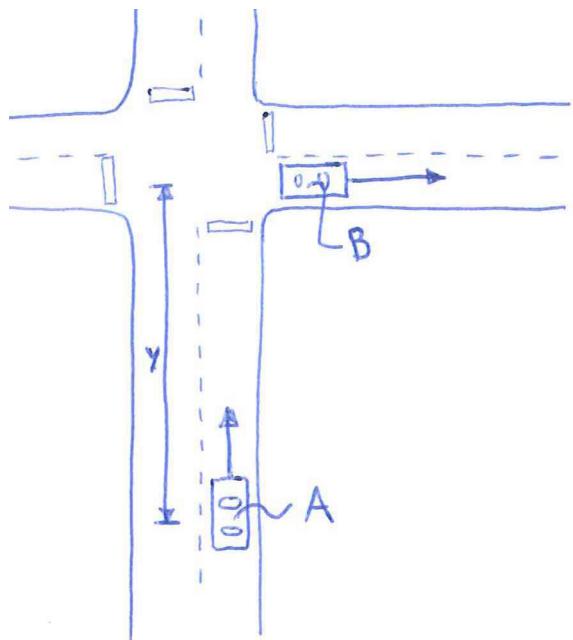
$$y = y_0 + v_0 t + \frac{1}{2} a t^2$$

where: y_0 is the initial height ($y_0 = 0$ m),
 v_0 is the initial velocity ($v_0 = 0$ m/s),
 t is the time and
 a is the acceleration of the rocket ($a = 50$ m/s 2).

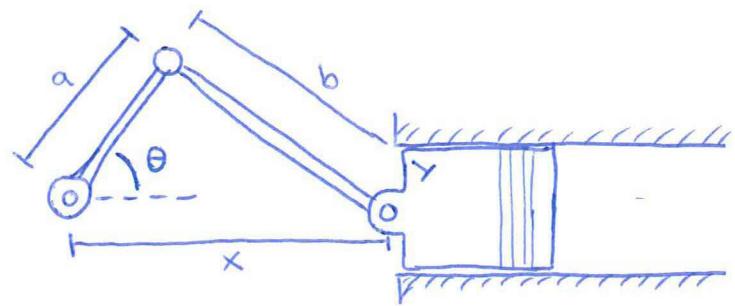


What is the velocity (dy/dt) of the rocket when 2 seconds have passed since it took off the ground? What is the rate of change that you have to rotate your head to track the rocket ship (i.e. $d\theta/dt$)?

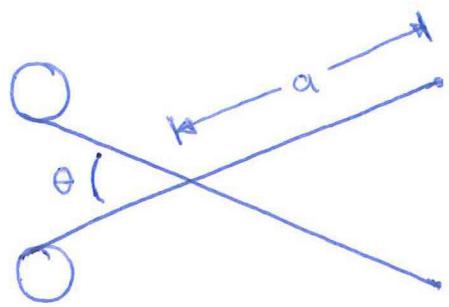
Car A drives North at 10 m/s and car B drives East at 20 m/s. Cars A and B start in the orientation as shown in the figure when $y = 100\text{m}$. How fast will car A be travelling away from car B (how fast will they be moving apart) when $y = 50\text{ m}$?



A simplified car piston is shown in the figure. Determine the velocity of the piston (i.e. dx/dt) as a function of a , b , x , θ and $d\theta/dt$.



If a pair of scissors ($a = 10$ cm) close at a rate of 30 degrees/sec, how fast are the tips of the scissors coming together when $\theta = 30$ degrees?



If i throw a rock into a pond ripple will emit from where the rock landed in the water. How much will the area be increasing as a function of the radius (r) and the velocity of the wave (dr/dt)?

